

Description of Courses offered by the Department of Mathematics

11031101 Calculus (1) 3 Credit Hours Prerequisite:- No Functions, transformations, trigonometric functions, their limits, squeeze theorem, continuity, differentiation, its definition, chain rule, implicit differentiation, extrema and critical points, concavity and inflection points, sketching functions, integration, indefinite and definite integration, integration by substitution.

11031102 Calculus (2) **3 Credit Hours 11031101 Pre** Inverse functions; exponential, logarithmic, trigonometric, inverse trigonometric, hyprbolic and inverse hyperbolic functions; their derivatives and integrals, integration methods, improper integrals, applications of integration (areas, volumes, curves lengths and surface areas); introduction to sequences and series.

11031141Statistics and probability3 Credit Hours11031101 PreIntroductionto statistics, populations and samples, frequency distributions; measures of
centrality, dispersion, skewness and kurtosis; correlation & regression; principles of probability,
laws of addition and multiplication, total probability rule, Bayes rule, random variables, discrete
and continuous probability distributions, binomial distribution, poisson distribution.

11031211Foundations of
mathematics3 Credit HoursPrerequisite:- No

Logic: axioms, theorems, negation, _; set algebra: union, intersection, symmetric difference, difference, complement; functions: domain, range, one-to-one functions, onto functions, graphs, set relations: equivalence relations & classes, partial ordering relation, total order, number of elements of a set, finite sets, countable sets, uncountable sets.

11031221Linear Algebra (1)3 Credit Hours11031101 PreSystem of linear equations, matrices, matrix algebra, homogeneous and nonhomogeneoussystems, Gaussian elimination, elementary matrices, inverse matrix calculation, determinants,Euclidean vector space, linear transformations from R^n to R^m and properties, general vectorspace, vector subspace, base, dimension, matrix row space, column space & null space; matrix

11032103Calculus (3)3 Credit Hours11031102 Pre3 dimensional space, vectors, lines and planes, functions of several variables, partial derivativesand applications, multiple integrals and applications

rank, inner product space, eigenvalues and eigenvectors, matrix diagonalization





11032212 Number theory **3 Credit Hours 11031211 Pre** Division algorithm, divisibility, greatest common factor, least common multiple, Diophantine equations, prime numbers and their distribution, fundamental theorem of arithmetic, congruence relations, linear congruence equations, Chinese remainder theorem, divisibility tests, Fermat's little theorem, Wilson's theorem, arithmetic functions, cryptography.

11032164Ordinary differential
equations3 Credit Hours11031102 Pre

Classification, solving 1st order, 2nd order and higher order equations, applications in mechanics and physics, Laplace method, power series solution, regular and irregular singular points, linear and nonlinear equations, homogeneous and nonhomogeneous equations

11032242 Probability theory 3 Credit Hours 11032103 Pre 11031141 Pre 11031141 Pre

Introduction, samples space, events, probability of an event, probability laws, conditional probability, independent events, Bayes Theorem, probability distribution, discrete and continuous random variables, probability density function, multivariate distributions, marginal distribution, joint distribution, expected value, moments, moment generating function, uniform discrete distribution, binomial distribution, Poisson distribution, normal distribution, functions of random variables

11032222	Linear algebra (2)	3 Credit Hours	11031221 Pre					
General vector space, row space, column space, null space, rank and nullity, change of basis,								
eigenvalues	and eigenvectors, similar	matrices and diago	nalization, orthogonal diagonal					
matrices, The diagonalization of symmetric matrices, general linear transformations, kernel and								
range, inverse linear transformations, matrices of general linear transformations, quadratic								
forms, diago	onalization of quadratic for	rms, classification of	of quadratic forms, curves and					
surfaces.								

11032261 Numerical analysis (1) 3 Credit Hours 11031101 Pre 11031211 Pre 11031211 Pre

Introduction to computational errors and their sources, solutions of nonlinear equations, interpolation theory, curve fitting and differences, function approximation, solution of linear systems by direct and indirect methods

11032131Euclidean and non-
Euclidean geometry3 Credit HoursNone

Axiomatic systems: consistency, independence and completeness, finite projective geometry, paradoxes of Euclidean geometry, the postulates of connection, distance, angles and angle measurement, congruence postulate, parallel postulate, plane-separation postulate, space-separation theorem, Pasch theorem, similarity, Pythagorean theorem, theorems of Ceva and Menelous, Erdös theorem, circles, circle theorems, cyclic quadrilaterals, Simson line, nine point circle, lines and planes in space





11033104Advanced Calculus3 Credit Hours11032103 PreDirectional derivative, gradient, divergence, curl, curvilinear coordinates, vector integral
calculus, path integral, surface integral, volume integral, Green's theorem, Stoke's theorem,
divergence theorem, implicit function theorem, inverse function theorem.

11033265Partial differential3 Credit Hours11032164 Preequations

Classification, models in physics, heat equation, wave equation, Laplace equation, separation of variables, Sturm-Louisville BVP, Fourier series and integration, Fourier transformation, homogeneous and nonhomogeneous problems, infinite domain problems, BVP on rectangular and circular domains, special functions, Bessel and Legendre functions, BVP on cylindrical and spherical domains.

11032251	Real analysis (1)	3 Credit Hours	11031102 Pre		
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The completeness property of R. The Archimedes principle in R; limit of a sequence, Cauchy sequences, convergent sequences, monotone sequences, subsequences and limit points, Bolzano--Weierstrass theorem, open sets, bounded sets and compact sets in R. Limits of real valued functions, sequence definition and neighborhood definition of continuity, boundedness of continuous functions on compact intervals, the extreme value theorem, the intermediate value theorem. uniformly continuous functions, the sequential criterion for uniform continuity, the derivative of functions, Rolle's theorem, the mean value theorem. generalized mean value theorem. Taylor's theorem with remainder, I' Hospital's rule.

11033152 Complex analysis 3 Credit Hours 11032103 Pre 11032251 Pre 11032251 Pre

The structure of complex numbers, definition, geometric meaning, polar form, Euler's formula, powers and roots of complex numbers, complex plane, complex functions, examples, limits, continuity, derivatives, Cauchy-Reimann equations, analytic functions, definition and properties. Harmonic functions (definition and basic properties). Elementary complex valued functions (exponential, trigonometric, hyperbolic, and logarithmic functions: their definitions and basic properties and inverse functions). Branches of logarithmic functions. Contours and contour integration. The Cauchy-Goursat theorem. Simply and multiply connected regions. The Cauchy integral formula.

11033162Numerical analysis (2)3 Credit Hours11032261 PreNumerical integration and differentiation, methods to solve ordinary and partial differentialequations, numerical methods to find eigenvalues.





11033243 Mathematical statistics 3 Credit Hours 11032242 Pre The uniform, gamma exponential, chi-square and beta distributions, the normal approximation to the binomial distribution, distribution function technique, transformation technique (one variable, two variable), moment-generating function technique, the distribution of the mean: finite populations, the t-distribution, the F-distribution, point estimate, unbiased estimate, consistent estimate, sufficient estimate, the method of moments, the method of maximum likelihood, confidence intervals for: means, difference between means, proportions, difference between proportions, variance, ratio of variances, testing of statistical hypothesis, tests concerning means; differences between means, variances, proportions.

11034123Abstract algebra (1)3 Credit Hours11032212 PreGroups and subgroups, cyclic groups, permutation groups, isomorphism's of groups, directproduct of groups, cosets and Lagrange's theorem, normal subgroups and factor groups,

product of groups, cosets and Lagrange's theorem, normal subgroups and factor groups, homomorphisms of groups, the first isomorphism theorem, rings, subrings, integral domain, factor ring, and ideals.

11033232General Topology (1)3 Credit Hours11031211 PreTopological spaces; open sets; boundary; interior; accumulation points; topologies induced by
functions; subspace topology; bases and subbases; finite products; continuous functions; open
and closed functions, homeomorphisms; separation axioms, countability axioms; metric spaces,
connectedness and continuity.

11033166Linear programming and
applications3 Credit Hours11032222 Pre

Foundations of linear programming, the simplex method, the geometry of the simplex method, duality in linear programming, the dual simplex method, sensitivity analysis, introduction to graphs, networks and network flows.

11034163Mathematical modeling3 Credit Hours11032222 PreMATLAB software, frontend, variables, data types, single and multidimensional matrices,
programming scripts, functions, _, curves, 2d and 3d plots, conditional statements, loop
statements, advanced topics in MATLAB.

 11033253
 Real analysis (2)
 3 Credit Hours
 11032251 Pre

Functions of bounded variation, total variation, Riemann integral, definition, existence, basic properties, types of Riemann integrable functions (step functions, continuous functions, monotone functions), the mean value theorems for Riemann integral, the fundamental theorem of calculus, the Riemann-Stieltjes integral, definition, basic properties, integration by parts, integrability of continuous functions and monotone functions, the fundamental theorem for Riemann-Stieltjes integral, the mean value theorem, linear transformations on Rⁿ and their matrix representation (fast revision), functions from Rⁿ to R^m (basic setup and examples), derrivatives of vector valued functions of several variables, directional derivatives, point and uniform limits of functions sequences and series, power series





11034224Abstract algebra (2)3 Credit Hours11034123 PreRings, subrings, integral domains, factor rings and ideals, ring homomorphisms, polynomialrings; factorization of polynomials, reducibility and irreducibility tests, divisibility in integraldomains, principal ideal domains and unique factorization domains

11034144Applied statistics3 Credit Hours11033243 Presampling distribution, chi-square tests, variation analysis, linear regression, nonparametric tests

11034167 Applied Mathematics 3 Credit Hours 11033265 Pre Ordinary differential equations review (first order ODEs and higher order ODEs, methods of solution), boundary value problems (Sturm- Liouville Problem), solution of differnetial equations using power series, Frobenius method, Fourier series, Fourier coefficients, convergence of Fourier series, applications, Fourier sine and cosine series , Fourier integrals, solutions of vibrating string equation, Laplace equation and the heat equation using Fourier series

11034291Graduation project3 Credit HoursDepartment approvalThe student writes and discuss a research on a topic determined by the supervisor that provides a
solution to a real problem, or a service to the community. It is not necessary that the research idea
be new.

11033225 Matrix theory 3 Credit Hours 11031221 Pre Kronecker product of matrices, matrix functions, matrix equations, matrix differential equations, eigenvalues and eigenvectors, the characteristic polynomial, the minimal polynomial, Cayley-Hamilton theorem, canonical forms, Gershgorin's discs, strictly diagonally dominant matrices, Hermitian and unitary matrices, Schur's triangularization theorem, spectral theorem for normal matrices, positive semidefinite matrices, quadratic forms, polar decomposition and singular value decomposition, Moore-Penrose generalized inverse; matrix norms, QR factorization

11033254	Special f	functions	5	3 Credit Hours			11032164 Pre			
Fobenious method, Frobenious and Laplace transformations, gamma function, beta function,										
relationship	between	gamma	and	beta	functions,	Bessel	function;	Legendre,	Hermite,	
Laguerrre, Jacobi and Chebychev Polynomials										

11034171History of mathematics3 Credit Hours4th levelEvolution of some mathematical concepts, facts and algorithms in arithmetic, algebra,
trigonometry, Euclidean geometry, analytic geometry and calculus through the early
civilizations of Egyptians, Babylonians, Greeks, Indians, Chinese, Muslims and Europeans;
evolution of solutions of some conjectures and open problems.





11033168 Graph theory 3 Credit Hours 11031211 Pre Counting methods (inclusion evaluation principle recountration) has a concentration of the second sec

Counting methods (inclusion-exclusion principle, recurrence relations) basic concepts in graph theory, vertices, edges, vertex degree, _, directed graphs, undirected graphs, complete graphs, paths, cycles, connected graphs, Euler's and Hamilton's paths, matrix representation of graphs, trees, graph coloring, shortest path algorithm, maximum flow algorithm

11034233General Topology (2)3 Credit Hours11033232 PreSeparation axioms T2, T3, T4 and some examples and theorems related to them, compact spacesand some related theorems, connected spaces and some related theorems, metric spaces and

11034155Functional analysis3 Credit Hours11033253 Pre

some related examples and theorems, sequences and their convergence in topological spaces

Norms on vector spaces, examples of norms, relationship between norms and metrics on vector spaces, sequences in normed spaces, convergence of sequences in normed spaces (strong convergence), complete normed spaces, examples of complete normed spaces, finite dimensional normed spaces, Banach spaces, Hilbert spaces, compactness, Hahn-Banach theorem, finite dimensional normed spaces, compactness of the unit ball in normed spaces, linear operators on Normed spaces. continuous linear operators, bounded linear operators, norms on bounded linear operators

